

1 **Modulation of Monsoon Circulations by Cross-Equatorial Ocean Heat**

2 **Transport**

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## ABSTRACT

15 Motivated by observations of southwards ocean heat transport (OHT) in the  
16 Northern Indian Ocean during summer, the role of the ocean in modulating  
17 monsoon circulations is explored by coupling an atmospheric model to a slab  
18 ocean with an interactive representation of OHT and an idealized subtropical  
19 continent. Southwards OHT by the cross-equatorial cells is caused by Ekman  
20 flow driven by southwesterly monsoon winds in the summer months, cool-  
21 ing sea-surface temperatures (SSTs) south of the continent. This increases  
22 the reversed meridional surface gradient of moist static energy, shifting the  
23 precipitation maximum over the land and strengthening the monsoonal circu-  
24 lation, in the sense of enhancing the vertical wind shear. However, the atmo-  
25 sphere's cross-equatorial meridional overturning circulation is also weakened  
26 in the presence of southwards OHT, as the atmosphere is required to transport  
27 less energy across the equator. The sensitivity of these effects to varying the  
28 strength of the OHT, fixing the OHT at its annual-mean value and to removing  
29 the land are explored. Comparisons with more realistic models suggest that  
30 the idealized model used in this study produces a reasonable representation  
31 of the effect of OHT on SSTs south of subtropical continents, and hence that  
32 OHT plays an important role in shaping monsoon circulations on Earth.

## 33 **1. Introduction**

34 It is now well understood that the South Asian monsoon is a thermally-direct circulation driven  
35 by the thermodynamic contrast which develops in the summer months between the Indian subcon-  
36 tinent and the Indian Ocean to the south (e.g., Plumb and Hou (1992); Privé and Plumb (2007a);  
37 Privé and Plumb (2007b); Bordoni and Schneider (2008); Zhai and Boos (2015); Geen et al.  
38 (2018)). Intuitively, this contrast arises because the land’s smaller heat capacity causes it to warm  
39 up faster in the summer than the surrounding waters, but recent work has shown that a number of  
40 other factors are required to maintain the gradient. Most importantly, the Himalayas play a crucial  
41 role by insulating the Indian subcontinent from cold northerly winds blowing down from central  
42 Eurasia, keeping the surface temperatures high there during summer (see Boos and Kuang (2010)  
43 and Ma et al. (2014)).

44 The other side of the contrast – the relatively cool waters of the northern Indian Ocean (NIO) –  
45 has been less explored. Privé and Plumb (2007b) compared the monsoons in simulations with their  
46 idealized atmospheric model forced by uniformly warm sea surface temperatures (SSTs) and by  
47 an SST profile that has a meridional gradient, and found that a meridional SST gradient promotes a  
48 cross-equatorial monsoon circulation. This picture was complicated, however, because the land in  
49 their idealized set-up is cooled by zonal winds coming from the colder waters adjacent to the land,  
50 damping the thermal contrast and hence the monsoon circulation (see also Chou et al. (2001)).  
51 Privé and Plumb were able to strengthen the monsoon in their model by adding “walls” around the  
52 continent to insulate it from these sea-breezes.

53 While this provided a first indication of the relationship between the NIO and the monsoon cir-  
54 culation, it was highly idealized and did not consider feedbacks between the monsoonal winds and  
55 the SSTs. Webster and co-authors have suggested that the monsoon acts as a self-regulating sys-

56 tem (Loschnigg and Webster (2000); Webster et al. (2002); Chirokova and Webster (2006)), with  
57 strong monsoonal winds driving southward ocean heat transport (OHT) in the NIO, cooling the  
58 waters adjacent to the Indian subcontinent and hence damping the monsoon. This can be seen in  
59 observations, as the surface winds are southwesterly over the NIO in the summer and southeasterly  
60 south of the equator (arrows in Figure 1). This circulation pattern drives southward Ekman flow in  
61 the NIO's mixed-layer, transporting heat into the southern hemisphere and potentially cooling the  
62 SSTs of the NIO. The heat transport can be inferred from the contours in Figure 1, which show  
63 the flux of heat from the atmosphere into the ocean. Developing a better understanding of the  
64 connection between OHT and monsoon circulations is the primary aim of this study.

65 The role of the Indian Ocean in cross-equatorial heat transport, but perhaps not monsoon dy-  
66 namics, has been appreciated as far back as at least Levitus (1987) (see also Lee and Marotzke  
67 (1998)). Levitus hypothesized that the Ekman response to near surface equatorial winds in the  
68 Indian Ocean resulted in southward cross-equatorial heat transport in the boreal summer, which  
69 reversed in the winter. Ideas that describe the dynamical process involved, those of the Cross  
70 Equatorial Cell, are developed in McCreary et al. (1993), whose model was adapted by Loschnigg  
71 and Webster (2000) and Chirokova and Webster (2006).

72 Separate from the question of monsoons, the relationship between the zonal-mean atmospheric  
73 circulation and OHT has been investigated in a number of recent studies. It has been shown that in-  
74 cluding interactive OHT in idealized models substantially damps the Hadley circulation (Clement  
75 (2006); Levine and Schneider (2011); Singh et al. (2017)), as well as meridional shifts of the in-  
76 tertropical convergence zone (ITCZ, Green and Marshall (2017); Schneider (2017); though note  
77 that Clement (2006) found that OHT increases the amplitude of the seasonal migration of the  
78 ITCZ). The reason for this is that, because of its small gross moist stability, the tropical atmo-  
79 sphere is an inefficient transporter of energy (Held 2001). By contrast, the wind-driven subtropical

80 cells in the ocean efficiently transport energy away from the equator because of the large surface  
81 temperature difference between the tropics and subtropics, which is mapped onto the vertical via  
82 subduction (Klinger and Marotzke (2000); Held (2001); Czaja and Marshall (2005); Green and  
83 Marshall (2017)). Hence including interactive OHT means that much less energy needs to be  
84 transported to high latitudes by the atmosphere. These studies have focused on the zonal-mean  
85 perspective, but similar considerations would be expected to apply to zonally-localized perturba-  
86 tions, such as monsoons, with the caveat that we do not yet have a good understanding of what  
87 controls the partitioning between zonal and meridional energy transports.

88 Putting these results together, coupling to the ocean has a number of competing effects on mon-  
89 soonal circulations, potentially strengthening them by enhancing land-sea temperature gradients  
90 and potentially weakening them by cooling the waters adjacent to land masses and by reducing  
91 the energetic requirements on the cross-equatorial atmospheric circulation. Motivated by the geo-  
92 graphic setting of the South Asian monsoon, in this study we take a first step towards untangling  
93 the effects of ocean dynamics on monsoon circulations by investigating how the monsoon in a  
94 moist, gray radiation atmospheric general circulation model (GCM) is affected by coupling the  
95 GCM to a slab ocean with an interactive representation of OHT. The parameterization includes  
96 an ocean stratification parameter that can be varied to directly control the strength of the OHT,  
97 allowing us to systematically investigate the influence of OHT on the monsoon. We have also  
98 performed sensitivity experiments without land and with the OHT fixed at its annual-mean value  
99 to separate zonally-asymmetric effects from zonal-mean effects and to cut the coupling between  
100 OHT and the monsoonal circulation.

101 We note that our focus is primarily on seasonal-means monsoon and not on monsoonal vari-  
102 ability. Work with observations and with comprehensive models has demonstrated a strong link  
103 between monsoon variability and SSTs; for instance, colder SSTs in the Bay of Bengal precede

104 “breaks” in the South Asian monsoon, periods when the rains are muted, by about a week (e.g.,  
105 Vecchi and Harrison (2002); Schott et al. (2009)). However this kind of variability is unlikely to  
106 be well represented in our model, and our focus is instead on the seasonal-mean state of the mon-  
107 soon, which the model can be expected to represent, at least in an idealized sense, and on the more  
108 general question of the relationship between the zonally-asymmetric atmospheric circulations and  
109 OHT.

110 The model and the simulations we have performed are described in more detail in the next  
111 section. In section 3 we investigate how the monsoon in our model is affected by coupling with  
112 the OHT, including how it is affected by varying the strength of the OHT and by fixing the OHT at  
113 its annual-mean value. In section 4 we compare the model with more realistic coupled models to  
114 assess how relevant our results may be for the South Asian monsoon and in section 5 we present  
115 the results of experiments without land. We end with conclusions in section 6.

## 116 **2. Model Description and Simulations**

117 The model consists of the idealized moist GCM first described by Frierson et al. (2006), coupled  
118 to a slab ocean with an idealized representation of OHT by the subtropical cells.

### 119 *a. The Moist GCM*

120 The GCM solves the primitive equations on the sphere and uses gray radiative transfer. The  
121 long-wave optical depth,  $\tau$ , is specified to approximate the effects of atmospheric water vapor  
122 (Frierson et al. 2006):

$$\tau(p, \phi) = \tau_0 \left[ f_l \left( \frac{p}{p_s} \right) + (1 - f_l) \left( \frac{p}{p_s} \right)^4 \right], \quad (1)$$

123 where  $p$  is pressure,  $\phi$  is latitude,  $p_s$  is the surface pressure and the linear term is included to  
124 reduce stratospheric relaxation times ( $f_l$  is set to 0.1).  $\tau_0$  is the optical depth at the surface, and

125 takes the form

$$\tau_0(\phi) = \tau_{0e} + (\tau_{0p} - \tau_{0e})\sin^2\phi, \quad (2)$$

126 with  $\tau_{0e}$  the surface value at the equator and  $\tau_{0p}$  the surface value at the pole. These are set to 7.2  
127 and 1.8, respectively (O’Gorman and Schneider 2008). The solar insolation has an annual cycle,  
128 but no diurnal cycle, and is calculated as (see chapter 2 of Hartmann (2016)):

$$S_0 = \frac{S_c}{\pi} [h_0 \sin\phi \sin\delta + \cos\phi \cos\delta \sin h_0], \quad (3)$$

129 where the solar constant  $S_c$  is set to  $1360\text{Wm}^{-2}$ ;  $h_0$  is the longitude of the subsolar point at sunrise  
130 and sunset relative to its position at noon; and  $\delta$  is the declination, calculated using an obliquity of  
131  $23.45^\circ$ , a 360 day year and assuming that Earth’s orbit is perfectly circular. The albedo is fixed at  
132 0.38 and absorption of solar radiation by the atmosphere is modelled by calculating the downward  
133 shortwave flux at a given pressure level as  $S = S_0 \exp(-\tau_s(p/p_s)^2)$ , with  $\tau_s$  fixed at 0.22, as used  
134 by O’Gorman and Schneider (2008).

135 The model includes the simplified Betts-Miller (SBM) convection scheme of Frierson (2007),  
136 with a convective relaxation time-scale  $\tau_{\text{SBM}}$  of 2 hours and a reference relative humidity  $RH_{\text{SBM}}$   
137 = 0.7, and the boundary layer scheme is the one used by O’Gorman and Schneider (2008). In  
138 each experiment the model was integrated for eight years at T85 truncation (corresponding to a  
139 resolution of roughly  $1.4^\circ$  by  $1.4^\circ$  on a Gaussian grid) with 30 vertical levels extending up to  
140 16hPa. Averages were taken over the last seven years of each simulation.

#### 141 *b. Interactive OHT parameterization*

142 OHT can be represented as the product of a meridional overturning circulation and an energy  
143 contrast (Held (2001); Czaja and Marshall (2005))

$$q_O = c_{p,o} \Phi \Delta T, \quad (4)$$

144 where  $c_{p,o}$  is the heat capacity of seawater,  $\Phi$  is the overturning mass transport streamfunction  
 145 and  $\Delta T$  is the temperature difference across the upper and lower branches of the overturning cir-  
 146 culation, i.e., between the top and base of the subtropical cells. This can also be thought of as  
 147 the surface temperature difference between the deep tropics and the latitude of subduction, with  
 148 typical values of 5-10K (Klinger and Marotzke 2000).

149 In the tropics, oceanic mass transport is mostly set by Ekman mass transport, allowing us to  
 150 approximate the OHT as

$$q_O(\phi, \lambda) \approx a c_{p,o} \cos \phi \frac{\tau(\phi, \lambda)}{f(\phi)} \Delta T, \quad (5)$$

151 where  $\lambda$  is longitude,  $a$  is the radius of the Earth,  $\tau$  is the wind stress and  $f$  is the Coriolis paramete-  
 152 ter. The interactive OHT parameterization assumes that heat is only transported via equation 5, and  
 153 only calculates the OHT for latitudes between  $\phi_1$ , the latitude at which the surface winds change  
 154 from westerly to easterly in the southern hemisphere, and  $\phi_2$ , the latitude at which the surface  
 155 winds change from easterly to westerly in the northern hemisphere.  $c_{p,o}$  is set to  $3900 \text{ Jkg}^{-1} \text{ K}^{-1}$   
 156 and, importantly,  $\Delta T$  is left as a free parameter to be specified.

157 This parameterization is similar to the scheme used by Klinger and Marotzke (2000) and Levine  
 158 and Schneider (2011), except that their scheme uses surface quantities, so that the OHT is calcu-  
 159 lated from the surface wind and temperature fields, with no free parameters. Here we specify  $\Delta T$   
 160 directly in order to systematically investigate how the strength of the OHT impacts the monsoon,  
 161 as larger  $\Delta T$  values result in more heat being transported southwards in the summer.

162 As in Levine and Schneider (2011), we apply a Gaussian smoothing filter when calculating the  
 163 divergence of the heat flux to avoid issues with  $f$  going to zero at the equator:

$$(\nabla \cdot q_O)' = \int_{\phi_1}^{\phi_2} \frac{1}{a \cos \phi} (\nabla \cdot q_O) P(\phi, \phi') d\phi', \quad (6)$$



164 where

$$P(\phi, \phi') = \frac{1}{Z} \exp\left(\frac{-(\phi' - \phi)^2}{2s^2}\right), \quad (7)$$

165 with  $Z$  chosen such that the integral of  $P$  from  $\phi_1$  to  $\phi_2$  is equal to one and  $s$  a half-width, which is  
166 set to  $7^\circ$ .

167 Two drawbacks of this scheme are that the effective stability,  $\Delta T$ , is the same at all locations  
168 and that the depth of the thermocline is fixed. For example, surface temperatures will warm where  
169 there is convergent Ekman mass flux, but in a more realistic model this would cause the ther-  
170 mocline to deepen, with little warming of the surface waters. As such, we compare our results  
171 with a simulation which uses the “1.5-layer” parameterization of Ekman heat transport by Codron  
172 (2012), though we have excluded diffusive heat transport and again only focus on heat transport  
173 in the tropics. In this scheme the temperature of the return flow,  $T_d$  is diagnosed from the surface  
174 temperature as

$$T_d = \alpha T_s + (1 - \alpha) T_0, \quad (8)$$

175 where  $T_s$  is the surface temperature,  $T_0$  is a reference temperature, here taken to be 273.15K,  
176 and  $\Delta T$  is now equal to  $T_s - T_d$ .  $\alpha$  varies linearly from 1/3 for purely divergent flow to 1 for  
177 purely convergent flow. This results in an effective stability that is large (up to about 15K) where  
178 there is divergence and small ( $\sim 0$ K) where there is convergence. Codron showed that, with these  
179 parameter values, the 1.5-layer scheme produces a reasonable representation of the climatology  
180 and seasonal cycle of SSTs when coupled to a comprehensive atmospheric GCM.

181 The depth of the ocean slab is fixed at 24m in all simulations. Donohoe et al. (2014) found  
182 that coupling the AM2.1 GCM to a 24m slab ocean produces a climate with a reasonable seasonal  
183 migration of the ITCZ compared with observations, and also a reasonable annual-mean Hadley  
184 circulation and meridional distribution of precipitation.

185 “Land” is added to the model by reducing the mixed-layer depth to 0.5m and setting the ocean  
186 heat flux divergence to zero between 100° - 235°E and 15° - 40°N. This provides an infinite  
187 supply of moisture for the monsoonal circulation and also means that the global integral of  $q_O$   
188 is not always zero. So there may be net OHT from the northern hemisphere into the southern  
189 hemisphere, even for conditions that are otherwise hemispherically-symmetric, however we find  
190 that in the annual-mean the ITCZ is very close to the equator in all of our simulations (not shown).  
191 The geometry of our set-up is illustrated in Figure 2.

### 192 *c. Simulations*

193 We have performed three sets of simulations with the model, motivated by our aim of untangling  
194 the competing effects of OHT on the monsoon. The main set includes both land and the interactive  
195 OHT, with  $\Delta T$  varied from 0K (i.e., no OHT) to 15K. In a second set of simulations the OHT at  
196 each grid point is fixed at its annual-mean value from the first set of simulations, eliminating the  
197 coupling between OHT and the monsoonal circulation but maintaining the annual-mean effects of  
198 OHT. The third set include the interactive OHT but not the land, with  $\Delta T$  again varied from 0K to  
199 15K. Comparing these simulations with the first set of simulations allows the impacts of the OHT  
200 on the zonal-mean circulation to be separated out.

## 201 **3. The Relationship Between OHT and the Model’s Monsoon**

### 202 *a. Comparing Simulations With and Without OHT*

203 We begin by comparing the monsoons in a simulation without OHT and a simulation with  $\Delta T$   
204 = 10K, which is one of our more realistic simulations (see sections 3b and 4). Figure 3 shows the  
205 summertime<sup>1</sup> precipitation and surface winds (top panels), the summertime surface moist static

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<sup>1</sup>“Summer” is defined as the 90 days with the highest insolation over the land and “winter” as the 90 days with the least insolation over the land.

206 energy (middle panels) and the summertime ocean heat flux divergence for the interactive case  
207 (bottom right panel). The surface moist static energy is calculated as  $c_p T + L_v q_v$ , where  $c_p$  is the  
208 specific heat capacity of dry air,  $T$  is the temperature at the lowest model level,  $L_v$  is the latent heat  
209 of vaporization of liquid water and  $q_v$  is the specific humidity at the lowest model level.

210 Without OHT, the ITCZ is slightly north of the equator, at about  $5^\circ\text{N}$  in the zonal-mean, and there  
211 is also a weak precipitation maximum just south of the continent. The surface MSE is relatively  
212 uniform throughout the tropics, with the largest values on the southern edge of the continent. The  
213 winds resemble the observations (Figure 1), being southeasterly up to about  $5^\circ\text{N}$  and then swinging  
214 around to be southwesterly between  $5^\circ\text{N}$  and  $20^\circ\text{N}$ , though the winds north of  $5^\circ$  are weak.

215 In the simulation with OHT there is much clearer evidence of a monsoon, with the highest  
216 precipitation over the southern edge of the continent, at about  $17^\circ\text{N}$ . The winds again resemble  
217 the observations, and are stronger between  $5^\circ\text{N}$  and  $20^\circ\text{N}$  than in the no OHT case. The surface  
218 MSE is generally smaller than in the simulation without OHT, because the OHT parameterization  
219 redistributes heat to the subtropics (see also Clement (2006)), and there is a sharper maximum in  
220 MSE over the continent, resulting in a larger land-ocean contrast in low-level MSE. Panel e) of  
221 Figure 3 shows that the ocean transports heat southwards across the equator, as well as from the  
222 tropics into the subtropics of the Northern Hemisphere.

223 Figure 4 compares the seasonal cycles in precipitation (top panels) and surface MSE (bottom  
224 panels) in these simulations, with values averaged over the land sector. Without OHT the maxi-  
225 mum precipitation varies smoothly over the course of the year, following the maximum insolation,  
226 though there is increased precipitation just south of the land in the late spring and summer months.  
227 The MSE shows a similar progression, and the largest MSE is in the summer and early fall because  
228 of the larger warming of the land.

229 The seasonal cycle of precipitation is less regular when OHT is included, and the maximum  
230 precipitation is weaker than in the simulation without OHT (panel c). Both the precipitation and  
231 the maximum MSE jump to the warmer hemisphere during the transition seasons so that, as in  
232 Clement (2006), the seasonal migration of the ITCZ is larger with OHT. The amplitude of the  
233 seasonal cycle in MSE is larger in the Northern Hemisphere than in the Southern Hemisphere, as  
234 the highest MSE values are found over the land in the summer months, while the lowest MSE  
235 values are over the land in the winter months. This is discussed further in section 5.

### 236 *b. Varying $\Delta T$*

237 The effects of varying the strength of the OHT on the surface climate of the model are summa-  
238 rized in Figure 5. As  $\Delta T$  is increased the tropical SSTs in the land sector cool and the meridional  
239 SST gradient is reduced (panel a). However the land-ocean SST contrast increases dramatically,  
240 going from about 0.2K to 1.5K as  $\Delta T$  is increased from 0K to 15K. The MSE has a similar  
241 progression (panel b), though the profile is smoother, without such a sharp jump across the land-  
242 ocean boundary (panel d). A secondary MSE maximum develops in the southern hemispheres of  
243 the experiments with large  $\Delta T$ . The smoothness of the MSE reflects smoother profiles of near-  
244 surface air temperature and specific humidity. We hypothesize that the near-surface air temper-  
245 ature and specific humidity do not track the SSTs more closely because the air-sea temperature  
246 difference must vary in order for the turbulent fluxes of sensible and latent heat to balance the  
247 convergence/divergence of OHT.

248 The ITCZ is close to 5°N in the 0K and 2.5K simulations, before jumping over the land in the  
249 5K simulation. This appears to be an intermediate case, as the ITCZs in the 10K and 15K cases are  
250 very similar to each other. The OHT is also similar in these two simulations (panel e), suggesting  
251 that it may saturate for large enough  $\Delta T$ . Privé and Plumb (2007a) showed that precipitation

252 maxima will occur slightly equatorward of maxima in the surface MSE, where the meridional  
253 gradient in surface MSE (to which the vertical wind shear is proportional) is largest. Although the  
254 maximum MSE in the 0K and 2.5K cases is over the land, there are also MSE maxima near 5°N  
255 in these simulations.

256 Figure 6 plots the zonal-winds in these simulations in black contours and the mean meridional  
257 circulation (MMC) in the red contours. The MMC is calculated as  $\frac{1}{g} \int_{p_s}^p \bar{v}(p', \phi) dp'$ , where an  
258 overbar denotes an average over the land sector (Note that because the average is taken over a  
259 limited sector, this circulation does not necessarily conserve mass). The overturning circulation  
260 expands and weakens as  $\Delta T$  is increased, while the vertical shear in the zonal wind, which is often  
261 taken as a proxy for the strength of the monsoonal circulation (Webster and Yang 1992), increases.  
262 This is primarily due to a strengthening of the easterlies near the tropopause. For larger  $\Delta T$  a jump  
263 in the near-surface meridional circulation develops just north of the equator because it is difficult  
264 for the low-level return flow of the Hadley Circulation to cross the equator when the equatorial  
265 surface temperature gradient is weak (Pauluis 2004).

266 The round markers in Figure 7 quantify these changes by showing the maximum vertical zonal  
267 wind shear ( $u(850\text{hPa}) - u(250\text{hPa})$ ) between the equator and 20°N as a function of  $\Delta T$  in panel a)  
268 and the minimum (i.e., the most negative) values of the MMC as a function of  $\Delta T$  in panel b). The  
269 zonal wind shear increases slightly when going from 0K to 2.5K, then jumps at 5K and increases  
270 roughly linearly as  $\Delta T$  is increased further. Comparing with panel c) of the Figure shows that  
271 this progression closely tracks the changes in the MSE gradient. In an angular momentum (AM)  
272 conserving flow the zonal-wind shear is proportional to the subcloud MSE gradient (Emanuel  
273 1995) and, though the flow in these simulations is far from the AM-conserving limit (see below),  
274 we believe that this argument is still relevant here.

275 Conversely, the strength of the MMC decreases roughly linearly from 0K to 10K and then in-  
276 creases slightly for  $\Delta T = 15\text{K}$ . The decrease over the first four simulations is expected from the  
277 discussion in the introduction: as  $\Delta T$  is increased the atmosphere has to transport less energy  
278 across the equator and so the circulation slows down. A quantitative theory for the compensation  
279 between energy transport by the Hadley circulation and OHT is still lacking, however, and in par-  
280 ticular requires a better understanding of how the gross moist stability of the tropical atmosphere  
281 is controlled (Singh et al. 2017).

282 Panel d) of Figure 7 shows the minimum absolute vorticity ( $f + \bar{\zeta}$ , where  $f$  is the Coriolis  
283 parameter and  $\zeta$  is the relative vorticity) polewards of  $7^\circ$  during the summer of these simulations.  
284 The absolute vorticity vanishes in the upper troposphere of an AM-conserving flow and, although  
285 none of the simulations are close to this regime, there is a substantial decrease in the minimum  
286 absolute vorticity, from about  $0.55 \times 10^{-5}\text{s}^{-1}$  to  $0.41 \times 10^{-5}\text{s}^{-1}$  when going from  $\Delta T = 10\text{K}$   
287 to  $\Delta T = 15\text{K}$ . This step towards an AM-conserving flow is caused by the increased vertical wind  
288 shear, as the stronger upper-level easterlies shield the tropical circulation from baroclinic eddies  
289 originating at mid-latitudes (Bordoni and Schneider 2008). Since these eddies act as a drag on  
290 the mean flow, increased shielding may explain why the MMC strengthens in the  $\Delta T = 15\text{K}$  case  
291 (Walker and Schneider 2006).

292 In summary, increasing  $\Delta T$  both strengthens the monsoonal circulation by increasing the land-  
293 sea contrast and damps the monsoon because less heat needs to be carried across the equator by  
294 the atmosphere.

### 295 *c. Specifying the OHT*

296 The effects of the OHT on the monsoon come partly from the seasonal variations in the OHT  
297 and partly from the effects of the annual-mean OHT. Our second set of simulations separate these

298 out, as the OHT is fixed at the annual-mean profiles from the interactive experiments. The crosses  
299 in the top panels of Figure 7 show that this increases the maximum zonal-wind shear and also the  
300 MMC. The MSE gradient also increases (panel c), while the minimum absolute vorticity decreases  
301 rapidly, so that the flow is approximately AM-conserving for  $\Delta T = 10\text{K}$  and above (panel d).  
302 While this transition to an AM-conserving regime will strengthen the flow somewhat, panel e) of  
303 the Figure shows that in fact the MMC scales linearly with the OHT at the equator, so that the  
304 energetic requirements on the Hadley circulation are the dominant control on its strength.

305 More insight into the effects of specifying the OHT on the monsoon comes from the left panels  
306 Figure 8, which show the summer climate in the case with the OHT from the  $\Delta T = 10\text{K}$  case. The  
307 monsoon is stronger than in the corresponding case with interactive OHT, with stronger winds  
308 and precipitation, as well as a larger land-sea MSE contrast. The shape of the winds means in  
309 particular that the monsoon is strongest in the southeast corner of the continent. The reason for  
310 this stronger monsoon can be seen by comparing panel e), which shows the OHT divergence  
311 in this simulation, with panel e) of Figure 3. The annual-mean OHT is still southwards in the  
312 land sector, but the ocean now converges heat at the latitudes of the south coast of the continent  
313 ( $15\text{-}20^\circ$ ), rather than diverging heat as it was in the interactive case. This warms the waters on  
314 either side of the continent, so that the continent is not cooled as much by zonal breezes as it was  
315 in the interactive case. This is reminiscent of how Privé and Plumb (2007b) found that adding  
316 walls to their continent strengthened the monsoon by insulating it from zonal sea breezes (see  
317 Introduction).

#### 318 **4. Comparison with More Realistic Models**

319 The above results give an indication of how OHT might affect monsoon circulations, however  
320 the idealized nature of our model puts into question the relevance of our results for the real atmo-

321 sphere. As a first way of assessing this relevance, the dashed red lines in Figure 7 show values from  
 322 the simulation with the 1.5-layer parameterization. These generally lie between the  $\Delta T = 5\text{K}$  and  
 323  $\Delta T = 10\text{K}$  simulations, with the vertical wind shear closer to the 5K case and the MMC closer to  
 324 the 10K case. Comparing the middle column with the right column of Figure 3 also demonstrates  
 325 the similarities between the 1.5-layer simulation and the  $\Delta T = 10\text{K}$  case. So even with  $\Delta T$  allowed  
 326 to vary with latitude in a realistic manner, OHT has a major impact on the monsoon circulation in  
 327 this model.

328 Next, we investigate the seasonal cycles of SSTs and of the ocean heat budget in our simulations.  
 329 Another drawback of the interactive OHT parameterization is that the mixed-layer depth (MLD) is  
 330 kept fixed: in the real ocean changes in OHT do not necessarily lead to changes in SSTs, because  
 331 the MLD may also deepen or shoal. Moreover, the circulation and temperature in the thermocline  
 332 take time to adjust to different surface conditions, whereas this adjustment is instantaneous in  
 333 both our simple parameterization and the 1.5-layer parameterization. These two deficiencies mean  
 334 that our model misses any potential phase difference between changing surface winds and OHT-  
 335 induced SST variations.

336 The heat budget for a volume of ocean water is

$$Q_S(t) = Q_O(t) + Q_F(t), \quad (9)$$

337 where  $Q_S$  is the change in heat stored in the volume:

$$Q_S(t) = a^2 \rho c_{p,0} \int_{MLD}^0 \int_{\phi_1}^{\phi_2} \int_{\lambda_1}^{\lambda_2} \frac{dT}{dt} \cos\phi d\lambda d\phi dz, \quad (10)$$

338 where  $\rho$  is the density of seawater and  $T$  is the depth-averaged temperature of the mixed-layer.  
 339  $Q_O$  is the OHT ( $q_O$ ) integrated around the lateral boundaries of the volume, as well as heat fluxed  
 340 through the bottom of the mixed-layer (which we ignore) and  $Q_F$  is the surface heat flux into the



341 water:

$$Q_F(t) = a^2 \int_{\phi_1}^{\phi_2} \int_{\lambda_1}^{\lambda_2} (Q_{SW} + Q_{LW} + Q_{LH} + Q_{SH}) \cos\phi d\lambda d\phi, \quad (11)$$

342 where  $Q_{SW}$  is the incoming solar radiation at the surface,  $Q_{LW}$  is the outgoing longwave radiation  
343 at the surface,  $Q_{LH}$  is the surface latent heat flux and  $Q_{SH}$  is the surface sensible heat flux. Note  
344 that if  $Q_F$  is fixed then changes in  $Q_O$  can be compensated either by changes in  $T$  or by changes  
345 in the MLD and so since the MLD is fixed in our model changes in  $Q_O$  can only be compensated  
346 by changes in  $T$ .

347 Figure 9a shows the heat budget for the ocean off the coast of the continent ( $100^\circ$  to  $235^\circ$ E and  
348  $0$  to  $15^\circ$ N) for the simulation with land and  $\Delta T = 10$ K in black, and for the 1.5-layer simulation  
349 in red. In both simulations, the ocean carries heat north across the equator in winter and south in  
350 summer, while it is warmed by the surface fluxes in summer and cooled in the winter. The largest  
351 surface fluxes are in the spring and in the fall because the strong monsoon winds in the summer  
352 lead to enhanced evaporative cooling over the ocean. These terms produce a seasonal cycle in the  
353 SSTs of  $\sim 4$ K in the  $\Delta T = 10$ K case (solid line in Figure 9b) and  $\sim 3$ K in the 1.5-layer simulation  
354 (dotted red line), with the warmest SSTs in both cases coming in the fall when the OHT and the  
355 monsoonal winds are weaker.

356 These results agree qualitatively with previous studies of the heat budget of the NIO, though  
357 there are some notable differences. Comparing with Figure 3 of Chirokova and Webster (2006),  
358 the seasonal cycles of the OHT and of the surface fluxes in our simulations are similar to their  
359 modelled NIO, except that the OHT is generally larger than the surface fluxes in their simulations  
360 whereas the reverse is the case in our simulations (see also Figure 21 of Lee and Marotzke (1998)),  
361 though we note that because of our idealized set-up we are not averaging over the same geometries.  
362 The other major difference is that Chirokova and Webster (2006) and Lee and Marotzke (1998)

363 both find that  $Q_F$  is almost zero during the summer and early fall, because increased cloudiness  
364 reduces the solar radiation absorbed by the surface (as a reminder, there are no clouds in our  
365 model) and because of stronger evaporative cooling than in our simulations, caused by stronger  
366 monsoonal winds. The large reduction in  $Q_F$  in the summer means that the warmest SSTs in the  
367 NIO are actually in April and May (dashed black line in Figure 9b), rather than in the fall.

368 Babu et al. (2004) showed that the MLD in the NIO is shallowest in February and March, which  
369 contributes to the warm SSTs in the spring, and then deepens over the course of the summer due  
370 to mixing caused by the monsoonal winds. The mixed-layer shoals rapidly again in the fall at  
371 the end of the monsoon season and then deepens in the winter months. The gradual deepening  
372 of the mixed-layer during the summer will damp the cooling of the NIO SSTs by OHT during  
373 the summer months, but on the whole we believe that our model underestimates the cooling of  
374 SSTs by OHT, and the amplitude of the seasonal cycle of SSTs in the NIO is smaller than in our  
375 model (Figure 9b). So although there are differences between the heat budgets in our model and  
376 in the more realistic models of Lee and Marotzke (1998) and Chirokova and Webster (2006) due  
377 to the fixed mixed-layer depth and the lack of clouds in our model, we believe that our model  
378 qualitatively captures the impact of OHT on SSTs equatorward of subtropical continents, and that  
379 the effects of any phase lag are minor.

## 380 **5. Zonal-Mean Effects**

381 The behavior discussed in section 3 comes from the monsoon generated over the land, but also  
382 from the zonal-mean effects of the interactive OHT. We use our third set of experiments – with  
383 interactive OHT but no land – to investigate how the interactive OHT affects the zonal-mean  
384 circulation of the model.

385 The triangles in Figure 7a show that excluding the land reduces the vertical zonal wind shear by  
386 roughly half, though this still increases as  $\Delta T$  is increased and the MSE gradient also strengthens  
387 (panel b). So, even without the land the southward energy transport by the ocean still produces  
388 a monsoon-like circulation. The MMC is very similar with and without land (Figure 7b), as it is  
389 mostly determined by the OHT (section 3.3).

390 These experiments, together with the fixed OHT experiments, can also be used to understand the  
391 seasonal cycles in Figure 4. In the simulation without land and with  $\Delta T = 10\text{K}$  there are actually  
392 three maxima in the precipitation (Figure 10a), one close to the equator and one further polewards  
393 in each hemisphere, with all three shifting gradually over the course of the year. A double-ITCZ  
394 structure is expected because the OHT and the heat transport by the atmosphere result in the net  
395 energy input to the deep tropics being negative (Clement (2006); Bischoff and Schneider (2016)),  
396 while the peak at the equator is caused by rising motion as the meridional circulation jumps over  
397 the equator (not shown).

398 The fixed OHT experiment resembles the original Hovmuller diagrams, but with the features  
399 exaggerated (Figure 10c and f). In the winter there is very little precipitation in the northern hemi-  
400 sphere and a strong maximum in precipitation at about  $-15^\circ\text{S}$ . A strong maximum appears in the  
401 northern hemisphere over the land in the spring, while the maximum in the southern hemisphere  
402 weakens and gradually shifts to the north, joining the strong peak over the land in the late sum-  
403 mer. During the fall the maximum slowly migrates southwards, before jumping further south once  
404 winter sets in.

405 These jumps are primarily caused by strong surface winds blowing south off the continent in the  
406 winter (Figure 8b). Because the continent is very cold in the winter, these winds cool the oceans  
407 to the south of the continent, creating a strong meridional MSE gradient compared to the warmer  
408 waters of the southern hemisphere (Figure 8d; note that the MSE near the equator is colder than

409 in the summer). These winds die down in the spring as the land – and the oceans to either side  
410 of it – warm up, rapidly reducing the MSE gradient and causing a strong MSE and precipitation  
411 maximum to develop over the continent. At the same time, the precipitation maximum in the  
412 south migrates northwards, following the peak insolation, until it merges with the maximum over  
413 the land. In the fall the land cools and the MSE maximum gradually migrates southwards until the  
414 strong winds pick up again, rapidly cooling the ocean and causing the jump to the strong southern  
415 precipitation maximum during winter.

416 We have performed an additional experiment without land and with the OHT fixed at its annual-  
417 mean value from the no-land  $\Delta T = 10\text{K}$  experiment. This is similar to the fixed OHT with land,  
418 though the precipitation maxima are weaker (Figure 10b). The MSE is smallest in the transition  
419 months (Figure 10e), when it has a minimum near the equator because the atmosphere and ocean  
420 transport heat to higher latitudes, resulting in a double-ITCZ. In the summer and winter, the atmo-  
421 sphere transfers heat into the tropics, so that they gain energy in the net (not shown) and there is a  
422 single ITCZ.

423 Together, these can explain the features seen in Figure 4. The jumps in the precipitation max-  
424 imum and in the MSE maximum come about because of the rapid warming and cooling of the  
425 continent, but at the same time the interactive OHT promotes a double ITCZ, as there is net energy  
426 transport out of the deep tropics.

## 427 **6. Conclusion**

428 In this study we have investigated the monsoon in an idealized model consisting of the widely  
429 used gray-radiation atmospheric GCM, coupled to an idealized parameterization of ocean heat  
430 transport by the subtropical cells. The OHT parameterization includes a parameter,  $\Delta T$ , which can

431 be used to vary the strength of the OHT, allowing us to systematically investigate the impact of  
432 OHT on the monsoon in this model.

433 Without OHT the monsoon in our model is weak, because the land surface is not protected from  
434 cold winds coming either from further north or from the east and west of the land (see also Chou  
435 et al. (2001) and Privé and Plumb (2007b)). However, by increasing  $\Delta T$  sufficiently we are able  
436 to create a reasonable monsoon circulation because the waters south of the land cool during the  
437 summer, creating a strong meridional MSE gradient. This includes increases in the vertical wind  
438 shear as  $\Delta T$  is increased and in the precipitation over land, though the MMC weakens. The shear  
439 strengthens because the meridional MSE gradient increases, while the MMC weakens because  
440 the increased OHT means that the atmosphere is required to transport less heat across the equator  
441 (Clement (2006); Singh et al. (2017)). For  $\Delta T = 15\text{K}$  the vertical shear is strong enough to start  
442 pushing the flow towards an angular momentum-conserving regime. Fixing the OHT at its annual-  
443 mean value results in the OHT warming the waters zonally-adjacent to the land, rather than cooling  
444 them, as in the case with interactive OHT, but the waters south of the land are still cooled as there  
445 is southwards OHT in the land sector (Figure 8e). This increases the MSE gradient compared  
446 to the interactive case, resulting in a stronger monsoon circulation, which causes the flow in the  
447 simulations with  $\Delta T = 10\text{K}$  and above to be in an AM-conserving regime. Comparisons with  
448 a simulation that uses the 1.5-layer parameterization of Codron (2012) and with the results of  
449 Chirokova and Webster (2006) and Lee and Marotzke (1998) suggest that our most realistic cases  
450 are the  $\Delta T = 5\text{K}$  and  $\Delta T = 10\text{K}$  cases and that, if anything, our model underestimates the effects  
451 of OHT on SSTs south of subtropical continents.

452 Combining the original experiments with the fixed OHT experiments and the experiments with-  
453 out land showed that the changes in the MMC are largely due to changes in the OHT, with the  
454 MMC weakening as the OHT increased. By contrast, the presence of land and/or of a transi-

455 tion to an AM-conserving regime have minor impacts on the MMC, except insofar as they effect  
456 the OHT. Finally, the seasonal cycle of precipitation in the interactive OHT simulations exhibits  
457 jumps, as strong precipitation suddenly appears over the continent in the summer and in the south-  
458 ern hemisphere during winter. These jumps are even clearer in the simulations with fixed OHT,  
459 and are caused by strong winds blowing off the continent during the winter months, which cool  
460 the waters south of the continent and set-up a strong MSE maximum in the southern hemisphere.  
461 When the land warms up sufficiently these winds stop and the waters north of the equator warm  
462 up quickly, while an MSE maximum develops over the land. When the land starts to cool in the  
463 fall the MSE maximum at first gradually shifts southwards, until the strong winds reappear and  
464 the maximum MSE jumps southwards. The jumps are clearer in the simulations without the inter-  
465 active OHT because removing the link between OHT and the surface winds reduces the variability  
466 of the precipitation and also makes the model less likely to have a double-ITCZ.

467 These results have been obtained with an idealized model, but demonstrate the substantial impact  
468 OHT can have on the monsoonal circulation, both through the zonal-mean effect of the atmosphere  
469 needing to transport less heat across the equator and through the local effect of creating a stronger  
470 meridional MSE gradient. Work with more comprehensive models, which include clouds and  
471 realistic topography, is required to further assess the impact these effects have on the South Asian  
472 monsoon, which is the original motivation for our study. Furthermore, as has been noted in several  
473 previous studies, a theory for the compensation between the ocean and the atmosphere is required  
474 in order to quantitatively predict how the overturning circulation is affected by the increased OHT,  
475 particularly a theory for how the gross moist stability of the tropical atmosphere is affected.

476 The Indian subcontinent seems to be ideally situated to develop a strong monsoon, being in-  
477 sulated from cold winds blowing down from Eurasia by the Himalayas to the north, while to the  
478 south the northern Indian Ocean transports heat southwards, cooling the SSTs off the coast of India

479 and further enhancing the meridional MSE gradient. Previous studies have mostly focused on the  
480 effects of the Himalayas and the Tibetan plateau on the monsoon, and have used either prescribed  
481 SSTs (e.g., Boos and Kuang (2010); Ma et al. (2014)) or slab oceans with  $Q$ -fluxes added to ensure  
482 the slab's SSTs closely match the observed climatological-mean SSTs (Park et al. 2014); however  
483 a realistic representation of OHT in the Northern Indian Ocean is required for a complete picture  
484 of the South Asian monsoon.

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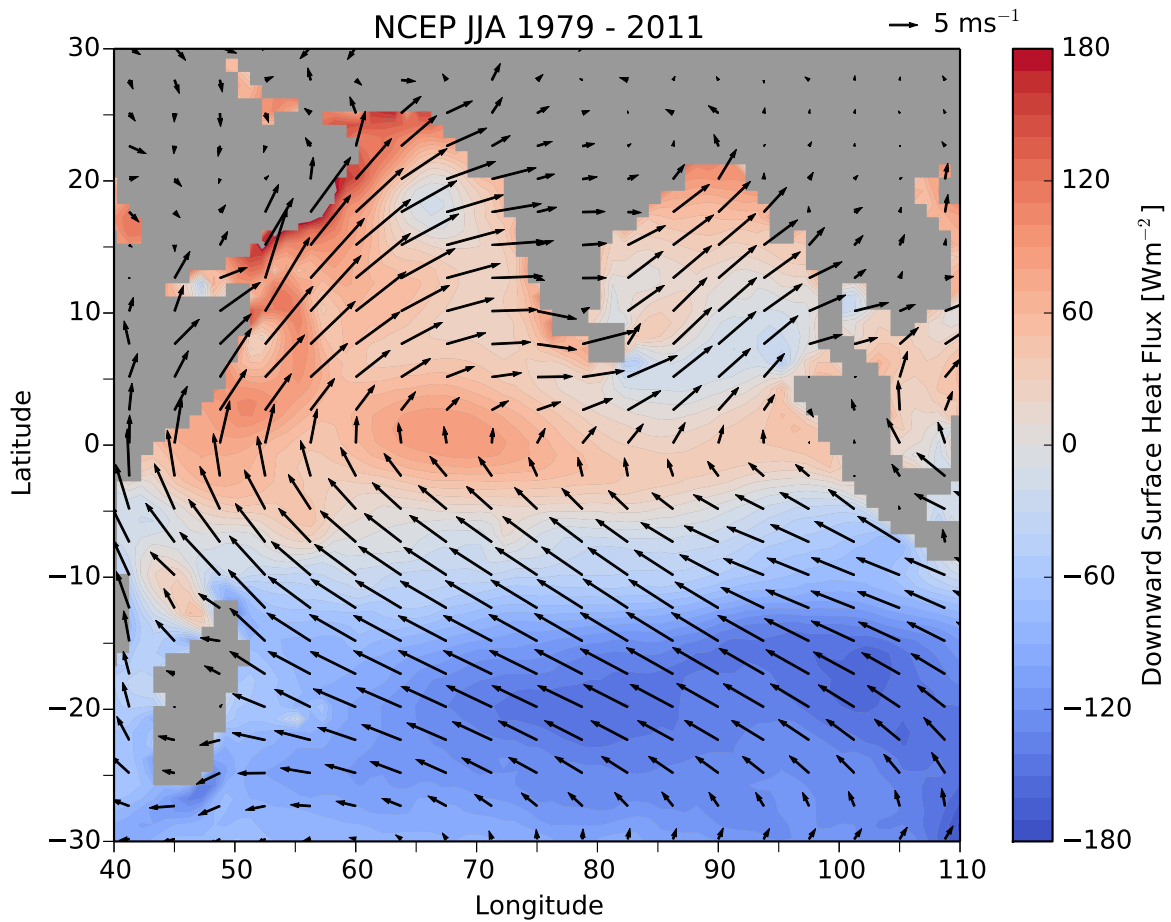
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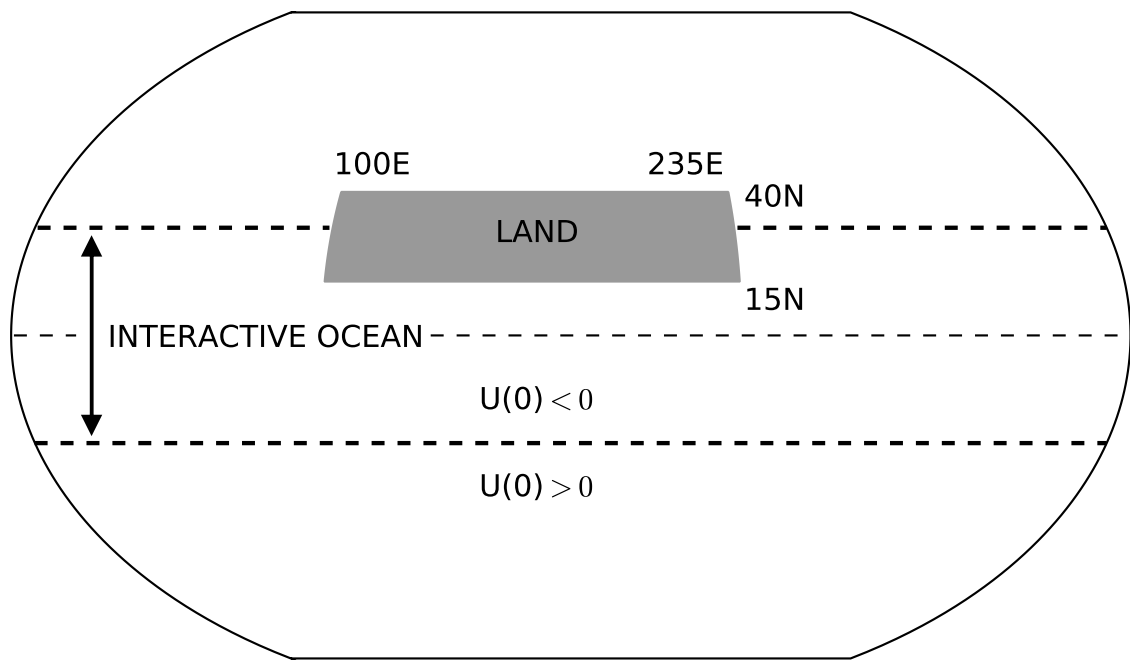
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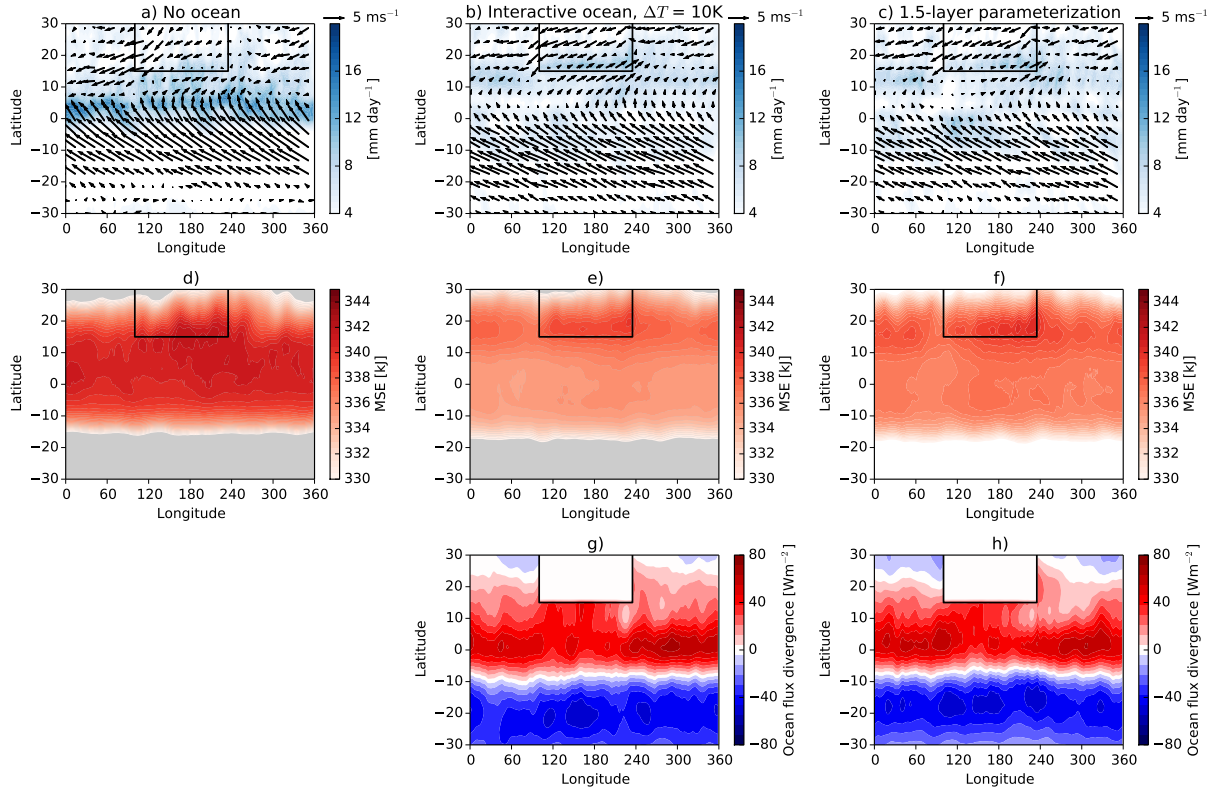
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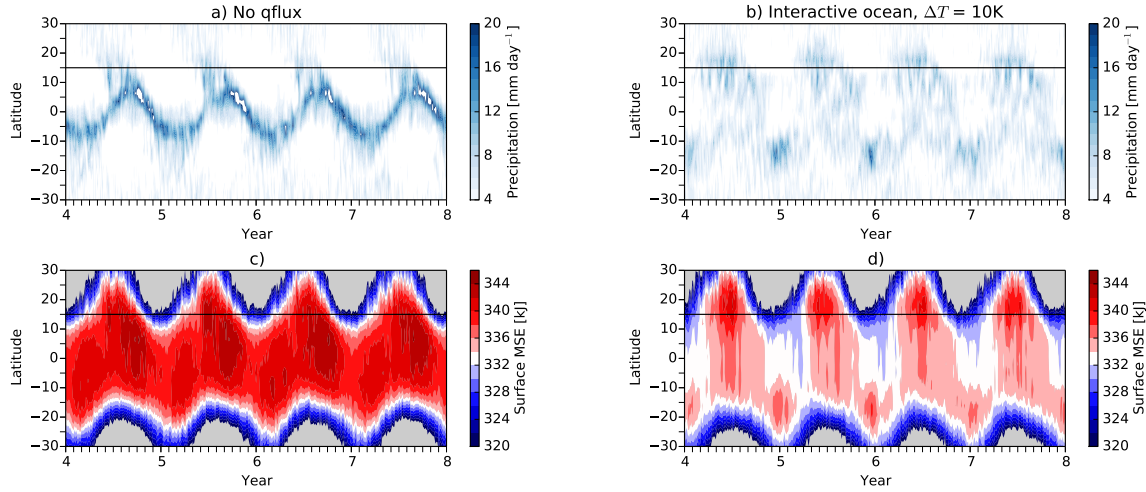
571 FIG. 1. Climatological June-July-August (JJA) downward energy flux at the ocean surface (contours) and  
572 surface winds (arrows) from the NCEP reanalysis for the period 1979 to 2011.



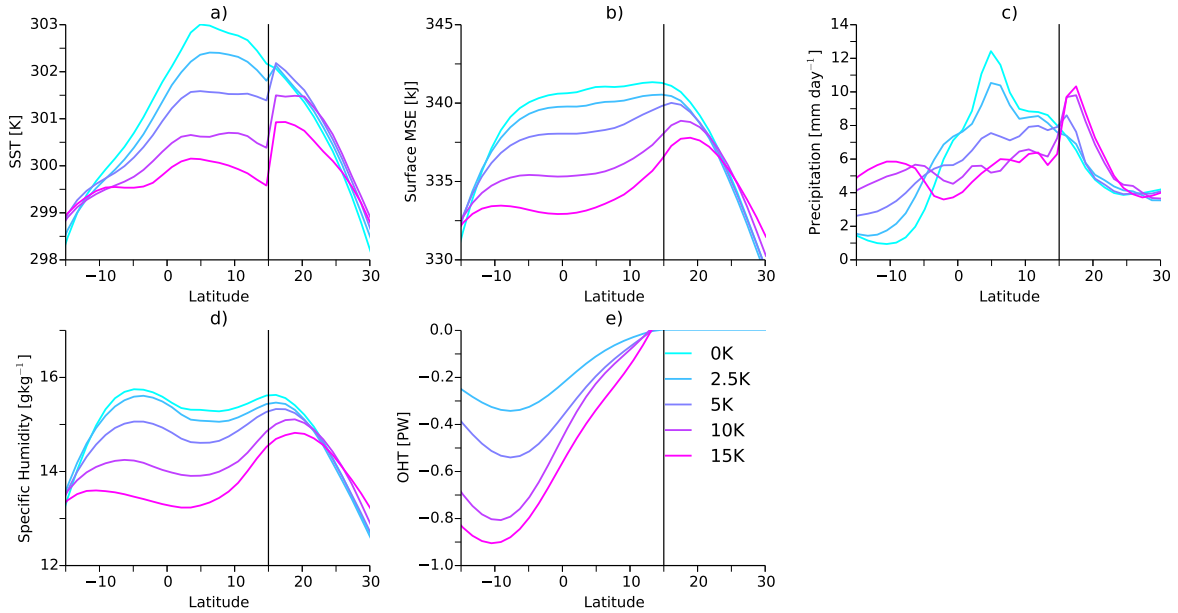
573 FIG. 2. Schematic of the model configuration used in the experiments. Note that the boundaries of the  
574 interactive ocean move seasonally.



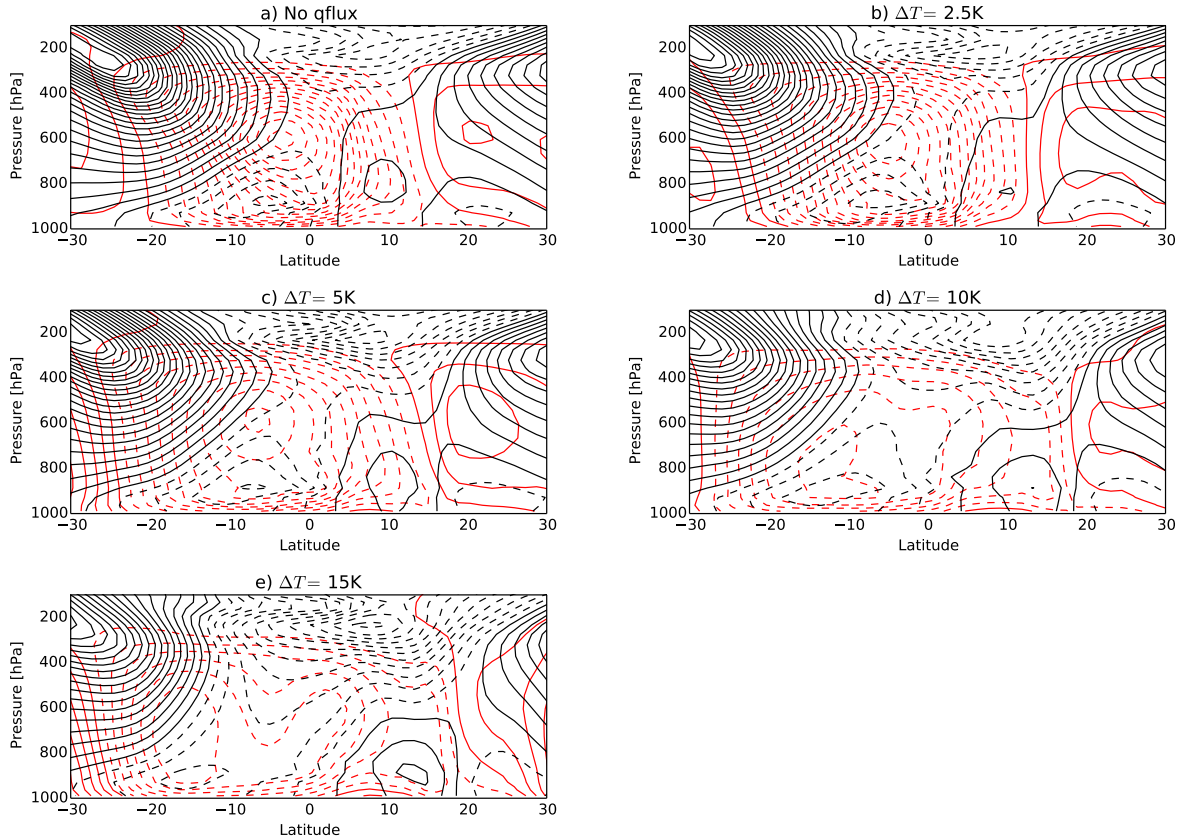
575 FIG. 3. a), b), c) Summer-time precipitation (blue contours) and winds at the lowest model level (arrows) for  
 576 the experiment with no OHT (a), the experiment with interactive OHT and  $\Delta T = 10K$  (b) and the experiment  
 577 with the 1.5-layer parameterization. d), e), f) Moist static energy (MSE) at the lowest model level from the  
 578 same experiments. Gray regions have MSE values outside the colorbar scale. g), h) OHT divergence from the  
 579 experiments with interactive OHT.



580 FIG. 4. a), c) Hovmuller diagrams of the precipitation (a) and surface MSE (c), averaged over  $100^{\circ}$  to  $235^{\circ}$ E,  
 581 for the last four years of the land simulation with no OHT. b), d) Same for the land simulation with interactive  
 582 OHT and  $\Delta T = 10$ K. The horizontal black lines mark the southern edge of the continent. Note that the model is  
 583 initialized at year 0.

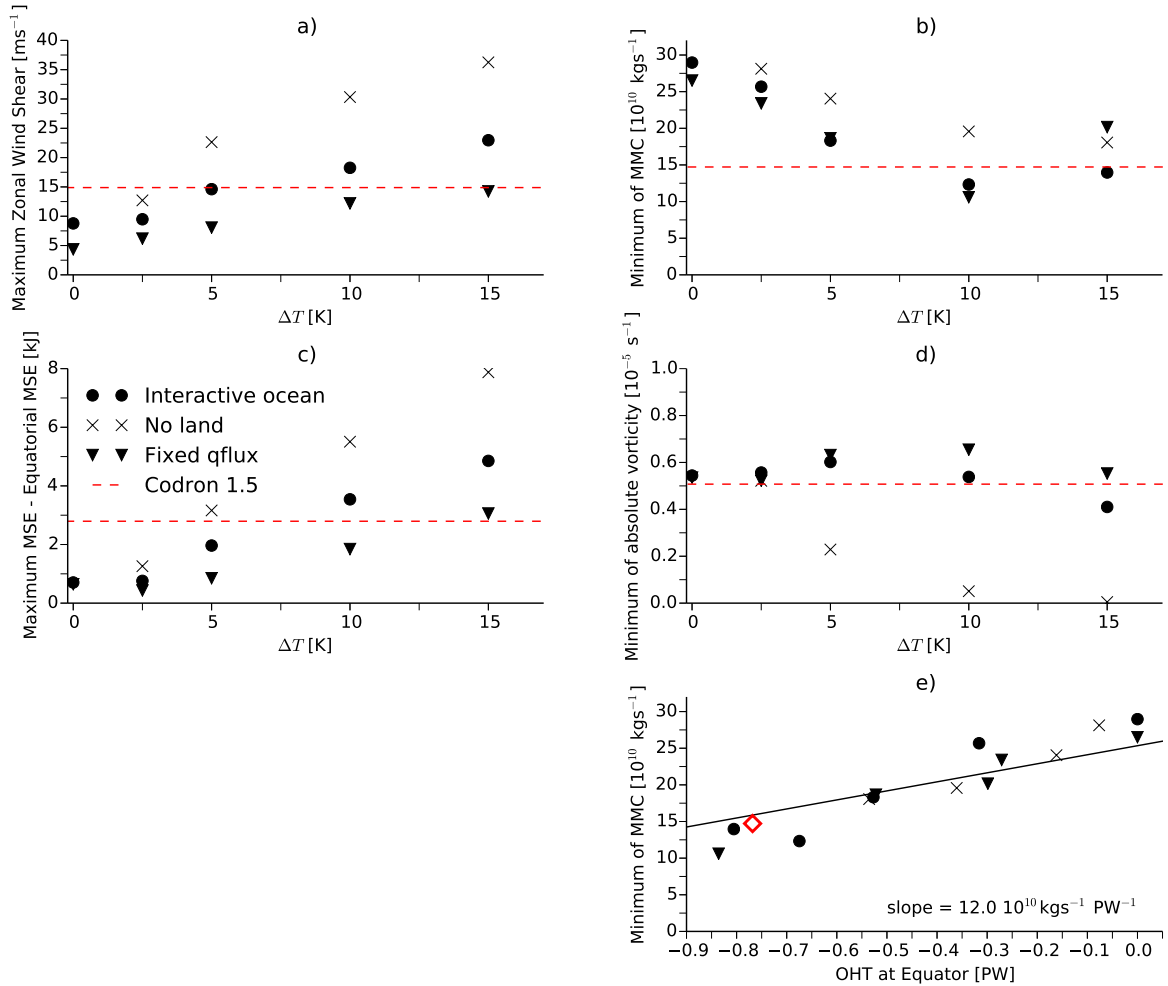


584 FIG. 5. a) Summer SSTs, averaged from  $100^{\circ}$  to  $235^{\circ}$ E, in the simulations with land and with  $\Delta T$  varied  
 585 from 0K to 15K. The vertical line marks the southern boundary of the continent. b) Averaged summer surface  
 586 MSE in these simulations. c) Averaged summer precipitation in these simulations. d) Averaged summer specific  
 587 humidity in these simulations. e) Averaged summer OHT in these simulations.

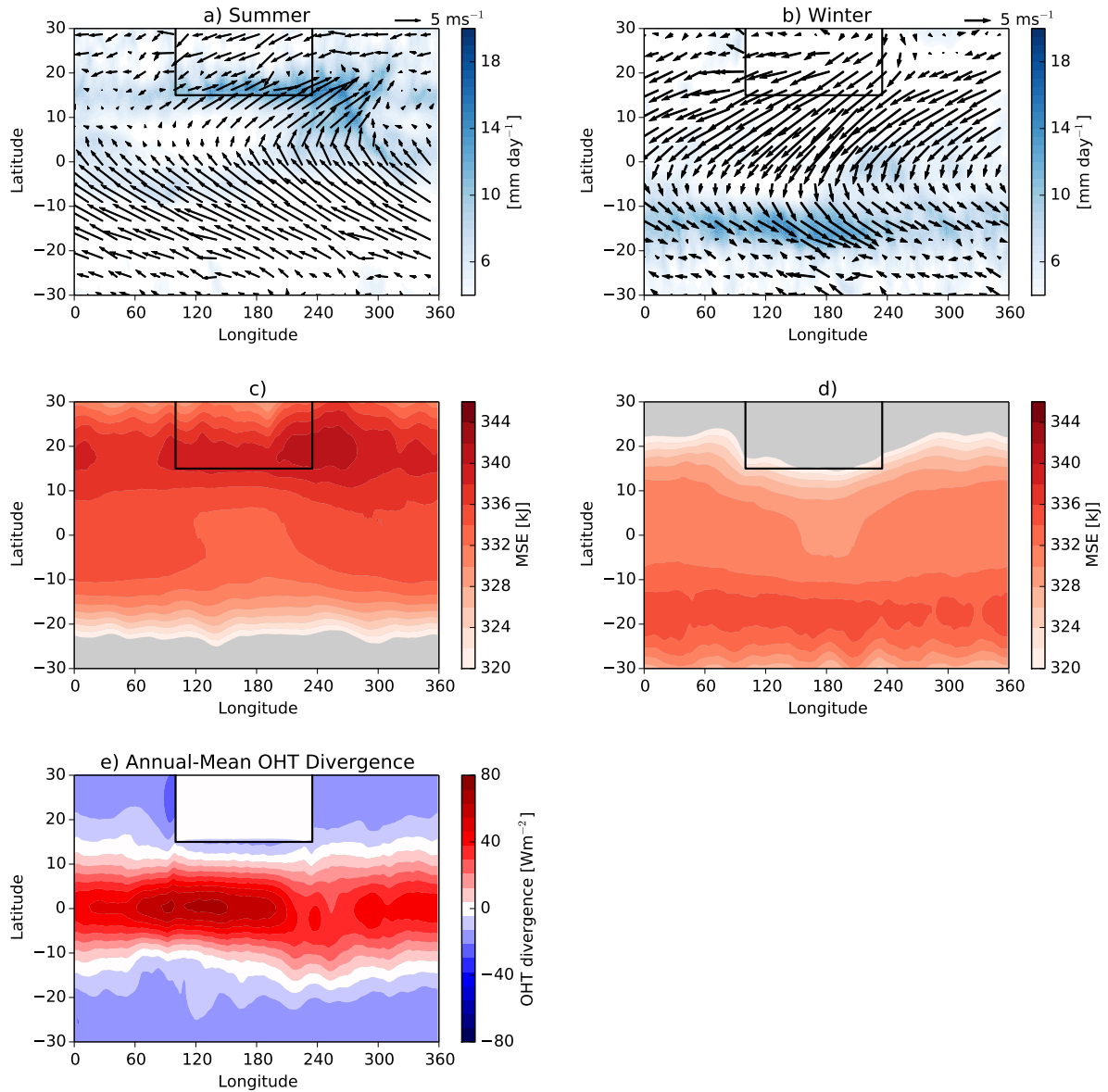


588 FIG. 6. a) Summertime mean meridional circulation (MMC, red contours) and zonal winds (black contours)  
 589 averaged over the land sector ( $100^\circ$  to  $235^\circ\text{E}$ ) in the land simulation with  $\Delta T = 0\text{K}$ . The contour intervals are  $2$   
 590  $\times 10^9 \text{kg s}^{-1}$  for the MMC and  $2 \text{ms}^{-1}$  for the zonal wind. Dashed red contours denote counterclockwise circula-  
 591 tion and dashed black contours denote negative zonal wind speeds. b) Same for the simulation with  $\Delta T = 2.5\text{K}$ .  
 592 c) Same for the simulation with  $\Delta T = 5\text{K}$ . d) Same for the simulation with  $\Delta T = 10\text{K}$ . e) Same for the simulation  
 593 with  $\Delta T = 15\text{K}$ .

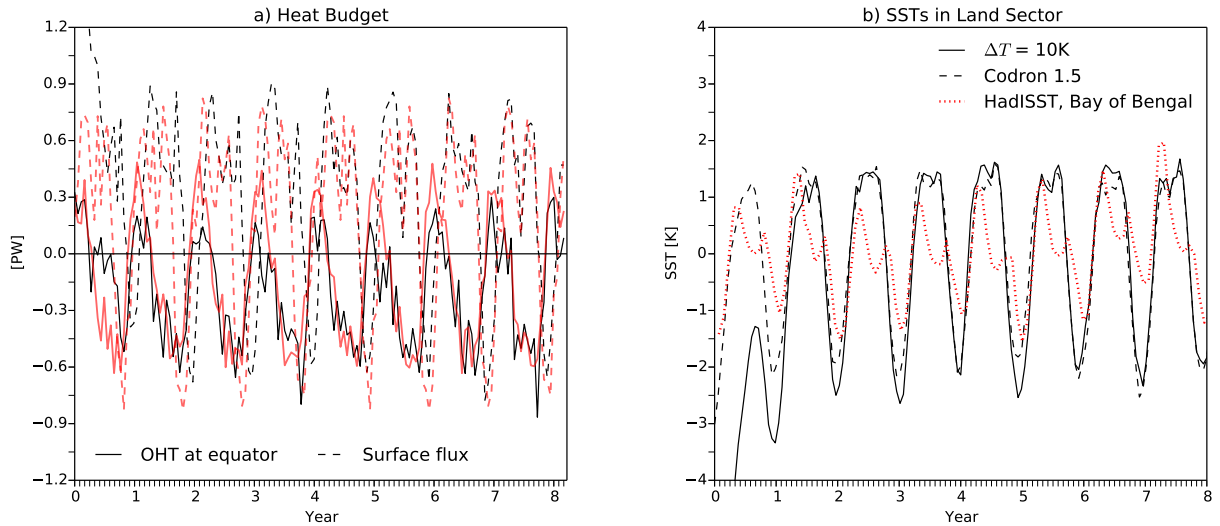




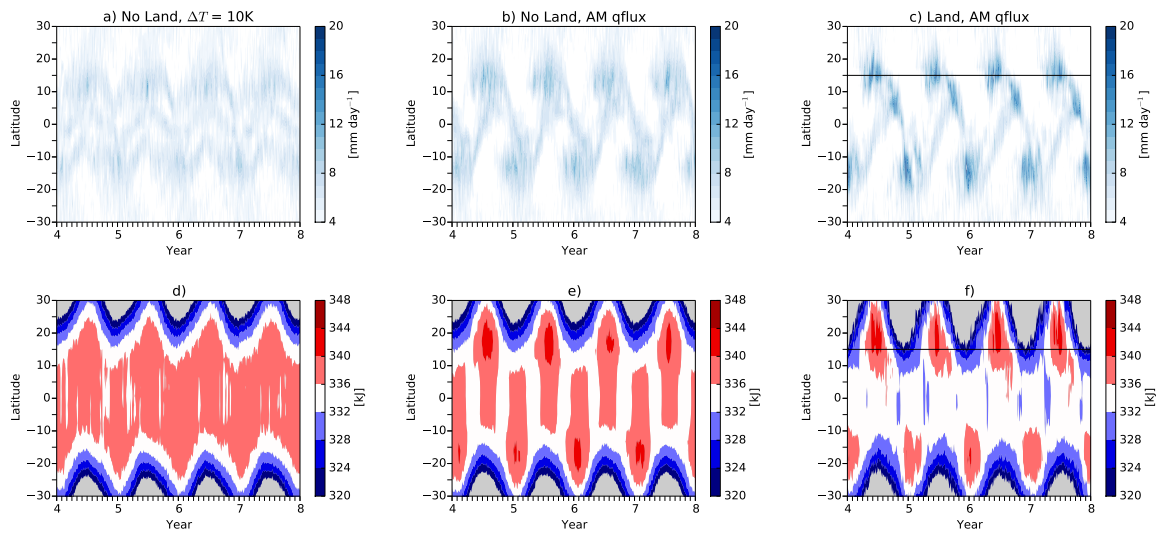
594 FIG. 7. a) Maximum of  $(u(850\text{hPa}) - u(250\text{hPa}))$ , averaged over the land sector ( $100^\circ$  to  $235^\circ\text{E}$ ), between the  
 595 equator and  $20^\circ\text{N}$  during the summer months for the simulations with land and interactive OHT (circles), the  
 596 simulations with interactive OHT and no land (crosses) and with land and OHT fixed at its annual-mean values  
 597 (triangles). b) Minimum of the summertime mean meridional circulation (MMC) for the same simulations. c)  
 598 Difference between maximum summer MSE and equatorial MSE at the equator for the same simulations. d)  
 599 Minimum absolute vorticity polewards of  $7^\circ\text{N}$  during the summer of the same simulations. e) Minimum of the  
 600 summertime MMC for the same simulations as a function of the equatorial OHT in the land sector. The line  
 601 shows a linear least-squares fit. In panels a) to d) The dashed red lines shows the results from the experiment with  
 602 the Codron (2012) 1.5-layer parameterization, and the red diamond in panel e) shows the minimum summertime  
 603 MMC and equatorial OHT for the experiment with the Codron parameterization.



604 FIG. 8. a) Summer precipitation (contours) and near-surface winds (arrows) in the simulation with land and  
 605 OHT fixed at its annual-mean value from the  $\Delta T$  simulation with land. c) Summer near-surface MSE from the  
 606 same simulation. b), d) Winter precipitation and near-surface MSE from the same simulation. e) Annual-mean  
 607 OHT divergence in the  $\Delta T = 10\text{K}$  simulation with land.



608 FIG. 9. a) Ocean heat transport across the equator, integrated from  $100^\circ$  to  $235^\circ\text{E}$  (solid lines) and net surface  
 609 flux integrated over the region  $100^\circ$  to  $235^\circ\text{E}$  and  $0$  to  $15^\circ\text{N}$  (dashed lines), from the land simulation with  $\Delta T$   
 610 =  $10\text{K}$  (black lines) and with the 1.5-layer parameterization (red lines). The heat transport is positive when it is  
 611 northward. b) SSTs averaged over the region ( $100^\circ$  to  $235^\circ\text{E}$  and  $0^\circ$  to  $15^\circ\text{N}$ ) from the simulation with  $\Delta T =$   
 612  $10\text{K}$  (solid black line), the simulation with the 1.5-layer parameterization (dashed black line) and SSTs averaged  
 613 over the Bay of Bengal ( $80^\circ$  to  $95^\circ\text{E}$  and  $0^\circ$  to  $15^\circ\text{N}$ ) for the period 2012 to 2016, taken from the HadISST  
 614 dataset (dotted red line).



615 FIG. 10. a), d) Hovmuller diagrams of zonal-mean precipitation (a) and meridional gradient of surface MSE  
 616 (d) for the last four years of the simulation with no land and  $\Delta T = 10\text{K}$ . b), e) Same for the simulation without  
 617 land and with OHT fixed at its annual-mean value from the  $\Delta T = 10\text{K}$  simulation. c), f) Same for the simulation  
 618 with land and with OHT fixed at its annual-mean value from the  $\Delta T = 10\text{K}$  simulation.